Abstract—The social and financial costs associated with Alzheimer’s disease (AD) result in significant burdens on our society. In order to understand the causes of this disease, public-private partnerships such as the Alzheimer’s Disease Neuroimaging Initiative (ADNI) release data into the scientific community. These data are organized into various modalities (genetic, brain-imaging, cognitive scores, diagnoses, etc.) for analysis. Many statistical learning approaches used in medical image analysis do not explicitly take advantage of this multimodal data structure. In this work we propose a novel objective function and optimization algorithm that is designed to handle multimodal information for the prediction and analysis of AD. Our approach relies on robust matrix-factorization and row-wise sparsity provided by the $\ell_2,1$-norm in order to integrate multimodal data provided by the ADNI. These techniques are jointly optimized with a classification task to guide the feature selection in our proposed Task Balanced Multimodal Feature Selection method. Our results, when compared against some widely used machine learning algorithms, show improved balanced accuracies, precision, and Matthew's correlation coefficients for identifying cognitive decline. In addition to the improved prediction performance, our method is able to identify brain and genetic biomarkers that are of interest to the clinical research community. Our experiments validate existing brain biomarkers and single nucleotide polymorphisms located on chromosome 11 and detail novel polymorphisms on chromosome 10 that, to the best of the authors’ knowledge, have not previously been reported. We anticipate that our method will be of interest to the greater research community and have released our method's code online.\footnote{Code is provided at: https://github.com/minds-mines/TBMFS.jl}

Index Terms—Alzheimer’s disease, multimodal, classification, alternating direction method of multipliers, biomarker identification

I. INTRODUCTION

Alzheimer’s Disease (AD) is a chronic neurodegenerative condition that has significant health impacts on affected patients and imparts significant financial burden on society. AD is a progressive disease characterized by loss of memory and essential mental function. AD affects the neurons in the brain involved in thinking, learning and memory. Cognitive decline manifests itself in a patient when brain cells are damaged or destroyed by AD. By 2030, according to the Alzheimer’s Association \cite{alzheimers-association}, the number of people worldwide living with AD is estimated to rise to nearly 76 million people. Given the massive social and financial costs associated with AD it is critical that we develop strategies for the early-diagnosis and treatment of the disease.

As of 2019, none of the pharmacological treatments are able to stop or slow down the disease. The medications that are currently available are designed to temporarily alleviate symptoms associated with AD, not cure the disease. To address this gap researchers are working towards the development of AD treatments that are able to slow or stop the progression of the disease. In order to make progress on this goal the research community has tried to address two main issues; first, identify the underlying mechanisms of the disease and second, develop novel treatments that can halt progression of the disease.

The underlying mechanisms behind the development of the disease are not well understood. In a recent study \cite{folding-amyloid-beta} it was shown that damage to brain cells in the precuneus, a brain region related to cognitive function, can occur 20 years before any AD-related symptoms are observed. It is hypothesized that the folding of amyloid-$\beta$ and tau proteins leads to the neurodegeneration that can lead to a future diagnosis although it is unclear exactly what mechanism causes this folding. In addition, many clinical AD trials have failed \cite{clinical-trials} to produce significant results in slowing or halting the progression of AD. It is possible, given that irreversible neural damage can occur years before any symptoms are observed, that patients included in these clinical studies had significant damage before treatment began during the trial. Nonetheless, both of these
issues has led to a concerted effort in identifying AD-relevant biomarkers that are predictive of a future AD diagnosis.

Organizations [19] such as the Alzheimer’s Disease Neuroimaging Initiative (ADNI) provide clinical data to researchers to analyze and understand the disease. These clinical data sources are inherently multimodal, meaning that a single patient may have data associated with multiple clinical tests and tools. Recent works [6], [8], [21], [33], [38], [39] have shown promise in diagnosing AD with machine learning approaches, although, many of these algorithms do not explicitly take into account the multimodal structures associated with the data provided. Recent multimodal deep learning approaches [35], have used various neural architectures to extract latent features from complex multimodal data. Once these latent features are extracted, they are concatenated together for the final classification task; this two-stage approach does not allow for the available labeled data to be effectively utilized during the multimodal combination.

In this work, we develop a novel method to combine multimodal neuroimaging and genetic data which is jointly optimized with a classification task; namely, identifying the cognitive status of patients in the ADNI cohort. Our approach, optimized by the alternating direction method of multipliers [5], works to balance multimodal feature selection with a classification task; namely, identifying the cognitive status of patients in the ADNI cohort. Our approach, although, many of these algorithms do not explicitly take into account the multimodal structures associated with the data provided. Recent multimodal deep learning approaches [35], have used various neural architectures to extract latent features from complex multimodal data. Once these latent features are extracted, they are concatenated together for the final classification task; this two-stage approach does not allow for the available labeled data to be effectively utilized during the multimodal combination.

In this work, we develop a novel method to combine multimodal neuroimaging and genetic data which is jointly optimized with a classification task; namely, identifying the cognitive status of patients in the ADNI cohort. Our approach, optimized by the alternating direction method of multipliers [5], works to balance multimodal feature selection with classification to simultaneously identify which features are important for an AD diagnosis. We present the following scientific contributions:

- A novel objective function that balances feature selection and classification to fuse multimodal data available through the ADNI.
- An algorithm derivation, using the multi-block alternating direction method of multipliers framework, to optimize the proposed Task Balanced Multimodal Feature Selection objective.
- Improved classification performance against an array of machine learning algorithms that have been widely used in AD classification and multimodal data integration.
- A validation of existing biomarkers reported in AD literature and an identification of a novel collection of genetic single nucleotide polymorphism (SNPs), specifically on chromosome 10, that warrant further investigation.

II. METHODS

In this section we present the justification behind our proposed Task Balanced Multimodal Feature Selection method, build an associated objective function and propose an optimization algorithm. For the remainder of this manuscript we represent the rows and columns of the matrix $X$ as $x^i$ and $x_i$, respectively.

A. Our Objective

The goal of our work is to design an algorithm that is able to integrate multiple sources of data, reduce their feature space, improve the classification accuracy, all while maintaining model interpretability. We begin with the multi-task feature learning objective motivated by Liu et al. [25]

$$\min_W \|Y - WX\|_F^2 + \gamma \|W\|_{2,1}, \tag{1}$$

where $X \in \mathbb{R}^{d \times N}, W \in \mathbb{R}^{c \times d}$ and $Y \in \mathbb{R}^{c \times N}$ are the input, regression coefficient and output matrices. $\|X\|_{2,1} = \sum_{i=1}^N \|x_i\|_2$ is the $\ell_{2,1}$-norm, and $\gamma$ is a hyperparameter designed to control the row-sparsity of $W$. The problem in Eq. (1) aims to learn a multi-target regression model to jointly predict $c$-related regression targets. It is worth noting that if $c$ equals one than Eq. (1) is equivalent to lasso [34] regression. We aim to use the feature selection property of the $\ell_{2,1}$-norm to identify important features in the input data $X$ via matrix-factorization. Thus, we can rewrite the optimization in Eq. (1) as

$$\min_{B, ZZ^T=I} \|X - BZ\|_{2,1}^2 + \gamma \|B\|_{2,1}, \tag{2}$$

where $B \in \mathbb{R}^{d \times r}, Z \in \mathbb{R}^{r \times n}$, and $r$ a hyperparameter. Note that for any pair $\{B, Z\}$ a corresponding pair $\{B/\alpha, \alpha Z\}$ with $\alpha > 1$ has a smaller objective value of Eq. (2); this will force $\alpha$ to go to infinity. To handle this issue we carefully include an orthogonal constraint on $ZZ^T$. Equation (2), due to the squared Frobenius norm in the first term, is known to be sensitive to outliers in the input data $X$. Following many existing works in statistical learning and data mining [11], [36], [37], we replace the squared Frobenius norm with the $\ell_{2,1}$-norm to optimize

$$\min_{B, ZZ^T=I} \|X - BZ\|_{2,1} + \gamma \|B\|_{2,1}. \tag{3}$$

Then, inspired by recent work from Ghosal et al. [13], we generalize the formulation in Eq. (3) to account for $M$ modalities by

$$\min_{B_m, ZZ^T=I} \left[ \alpha_m \|X_m - B_m Z\|_{2,1} + \gamma_m \|B_m\|_{2,1} \right], \tag{4}$$

where each $\alpha_m$ and $\gamma_m$ balance modality reconstruction and feature selection. In Eq. (4) we aim to learn a latent space representation, $Z$, constructed via the multimodal features identified by each $B_m \in \mathbb{R}^{d_m \times r}$. Finally, in order to identify features in each $X_m$ that are predictive of a particular diagnosis we balance the feature selection terms in Eq. (4) with a classification task. To guide the latent space discovery we incorporate a hinge-loss support vector machine (SVM) into our objective

$$\min_{w_k, \hat{b}_k, B_m} \sum_{m=1}^M \left[ \alpha_m \|X_m - B_m Z\|_{2,1} + \gamma_m \|B_m\|_{2,1} \right] + \frac{1}{2} \sum_{k=1}^K \|w_k\|^2_2 + C \sum_{i=1}^N \sum_{k=1}^K \left[ (1 - (w_k^T z_i + b_k) y_{ik})^+ \right], \tag{5}$$

where $C > 0$ is a regularization parameter, $y_{ik} \in \{-1,1\}$ are the multi-class labels associated with the $i$-th patient and $(\cdot)^+$ is defined as $(a)^+ = \max(0, a)$. Note that the classification takes as input the latent space $Z$ instead of
Fig. 1: Visualization of the Task Balanced Multimodal Feature Selection method. Our model takes as input $M$ modalities, $X_1, X_2, \ldots, X_M \in \mathbb{R}^{d_m \times N}$, and discovers a latent representation $Z \in \mathbb{R}^{r \times N}$ (in purple) by way of simultaneous matrix factorization with $B_1, B_2, \ldots, B_M \in \mathbb{R}^{d_m \times r}$ (in blue, red, ..., and green). The $M$ factorizations are jointly optimized with a classifier, specifically a support vector machine. Note that the $N$-th column of $Z$ is shared across the $M$ factorizations and is jointly dependent on the classification task. This work incorporates robust matrix-factorization and row-wise sparsity on each $B_m$ by way of the $\ell_{2,1}$-norm to improve the joint classification task and identify biomarkers that are predictive of Alzheimer’s disease. (Viewed best in color)

the raw multimodal data $X_m$; this introduces an additional coupling between the first and last terms. We call Eq. (5) the Task Balanced Multimodal Feature Selection objective. A visual representation of our proposed method is provided in Figure 1. While the objective of our new method in Eq. (5) is clearly and reasonably motivated, the terms are dependent on one another, making it difficult to optimize this objective in general. To solve the proposed objective we derive an efficient iterative algorithm using the multi-block extension [16] of the alternating direction method of multipliers (ADMM).

B. Alternating Direction Method of Multipliers

The ADMM has been widely used to solve problems in bioinformatics, signal processing, and many other application areas across statistical learning [5]. The ADMM aims to decouple a larger and more difficult problem into a series of smaller sub-problems that are easier to solve. An extension to the ADMM, known as the multi-block ADMM [16], is designed to extend the ADMM framework to optimize functions of the following form:

$$
\begin{align*}
\min_{x_1, x_2, \ldots, x_K} & f_1(x_1) + f_2(x_2) + \cdots + f_K(x_K), \\
\text{subject to} & \quad E_1 x_1 + E_2 x_2 + \cdots + E_K x_K = c. 
\end{align*}
$$

Equation. (6) can be solved by minimizing the following unconstrained objective:

$$
\mathcal{L}(x_1, \ldots, x_K, \lambda) = 
\sum_{k=1}^{K} f_k(x_k) + \frac{\mu}{2} \left\| \sum_{k=1}^{K} E_k x_k - c + \frac{1}{\mu} \lambda \right\|_2^2, (7)
$$

where $\lambda$ is a Lagrangian multiplier and $\mu > 0$ is a penalty parameter. The objective in Eq. (7) can be solved by the following iterative procedure that updates each $x_k$ (primal) and the Lagrangian variable $\lambda$ (dual):

$$
\begin{align*}
    x_{1}^{t+1} & \leftarrow \arg \min_{x_1} \mathcal{L}(x_1^{t}, x_2^{t}, \ldots, x_K^{t}, \lambda^{t}), \\
    x_{2}^{t+1} & \leftarrow \arg \min_{x_2} \mathcal{L}(x_1^{t+1}, x_2^{t}, \ldots, x_K^{t}, \lambda^{t}), \\
    & \vdots \\
    x_{K}^{t+1} & \leftarrow \arg \min_{x_K} \mathcal{L}(x_1^{t+1}, x_2^{t+1}, \ldots, x_K^{t}, \lambda^{t}), \\
    \lambda^{t+1} & = \lambda^{t} + \mu \left( \sum_{k=1}^{K} E_k x_k - c \right), \\
    \mu^{t+1} & = \rho \mu^{t},
\end{align*}
$$

where $\rho > 1$ is a constant. The process described above in Eq. (8) is repeated until the algorithm converges.

C. Algorithm Derivation

Since the terms in Eq. (5) are coupled across the predictors $Z, B_m,$ and $W$ and includes the non-smooth $\ell_{2,1}$-norm, it is difficult to optimize in general. To decouple the
objective we introduce four sets of constraints $\hat{Z} = Z$, $F_m = X_m - B_m Z$, $B_m = B_m$, and $e_{ik} = y_{ik} - (w_k^T z_i + b_k)$.

Since $y_{ik} \in \{-1, 1\}$, it follows that $1 - (w_k^T z_i + b_k) y_{ik} = y_{ik} (y_{ik} - (w_k^T z_i + b_k))$ [27]. This allows us to derive the SVM updates in the primal instead of the dual. Then, following the multi-block ADMM framework described above, we systematically incorporate these constraints into the objective

$$
\min_{e_{ik}, w_k, b_k, Z} \mathcal{L} = \sum_{m=1}^{M} \left[ \alpha_m \| F_m \|_2 + \frac{\mu}{2} \| F_m - L_m \|_F^2 + \gamma_m \| B_m \|_2 + \frac{\mu}{2} \| B_m - \hat{B}_m + \frac{1}{\mu} \Lambda_m \|_F^2 \right] + \frac{1}{2} \sum_{k=1}^{K} \| w_k \|_2^2 + C \sum_{i=1}^{N} \sum_{k=1}^{K} (y_{ik} e_{ik})_+ + \frac{\mu}{2} \sum_{i=1}^{N} \sum_{k=1}^{K} \left( e_{ik} - (y_{ik} - (w_k^T z_i + b_k)) + \frac{1}{\mu} \eta_{ik} \right)^2 + \frac{\mu}{2} \| Z - \hat{Z} + \frac{1}{\mu} \Omega \|_F^2 \text{ subject to } \hat{Z} \hat{Z}^T = I ,
$$

(9)

where $L_m = (X_m - B_m Z) - \frac{1}{\mu} \Theta_m$, $\Theta_m$, $\Lambda_m$, $\Omega$, and $\eta_{ik}$ are Lagrange multipliers and $\mu > 0$ is a penalty parameter. For the remainder of this section, we derive the multi-block ADMM update steps for minimizing Eq. (9).

**w_k Update:** Removing terms not dependent on $w_k$ from Eq. (9) gives

$$
\min_{w_k} \frac{1}{2} \| w_k \|_2^2 + \frac{\mu}{2} \sum_{i=1}^{N} \left( e_{ik} - y_{ik} + w_k^T z_i + b_k + \frac{1}{\mu} \eta_{ik} \right)^2 .
$$

(10)

Taking the derivative of Eq. (10) with respect to $w_k$, setting the result equal to zero, and solving for $w_k$ gives

$$
w_k^T = \sum_{i=1}^{N} \left( y_{ik} - e_{ik} - b_k - \frac{1}{\mu} \eta_{ik} \right) z_i^T \left( \sum_{i=1}^{N} z_i z_i^T + \frac{1}{\mu} I \right)^{-1} .
$$

(11)

**b_k Update:** Taking the derivative of Eq. (10) with respect to $b_k$, setting the result equal to zero, and solving for $b_k$ gives

$$
b_k = \frac{\sum_{i=1}^{N} (y_{ik} - e_{ik} - w_k^T z_i - \frac{1}{\mu} \eta_{ik})}{N} .
$$

(12)

**e_{ik} Update:** Removing terms not dependent on $e_{ik}$ from Eq. (9) gives

$$
\min_{e_{ik}} C (y_{ik} e_{ik})_+ + \frac{\mu}{2} (e_{ik} - s_{ik})^2 ,
$$

(13)

\[\text{Algorithm 1 ADMM algorithm to optimize Eq. (9)}\]

1. Data: Multimodal data $X_m$ for $m \in [1, M]$ and the $N \times K$ class labels $y_{ik} \in Y$.
2. Hyperparameters: $C > 0$, $\alpha_m > 0$, $\gamma_m > 0$, $\mu > 0$, $\rho > 1$ and $r \in Z_{\geq 1}$.
3. Initialize: $e_{ik}, w_k, b_k, Z, \hat{Z}, F_m, B_m, \hat{B}_m, \Theta_m, \Lambda_m$ and $\Omega$.
4. while the objective in Eq. (9) not converged do
5.   for $k \in K$ do
6.     Update $w_k$ by Eq. (11).
7.     Update $b_k$ by Eq. (12).
8.   end for
9.   for $i \in N$ do
10.    Update $e_{ik}$ by Eq. (14).
11.    Update $\eta_{ik} = \eta_{ik} + \mu (e_{ik} - y_{ik} + w_k^T z_i + b_k)$.
12. end for
13. Update $z_i \in Z$ by Eq. (16).
14. Update $\hat{Z}$ by Eq. (18).
15. for $m \in M$ do
16.   Update $\bar{f} \in F_m$ by Eq. (20).
17.   Update $\bar{b} \in B_m$ by Eq. (22).
18.   Update $\hat{B}_m$ by Eq. (24).
19.   Update $\Theta_m = \Theta_m + \mu (F_m - (X_m - B_m Z))$.
20.   Update $\Lambda_m = \Lambda_m + \mu (B_m - \hat{B}_m)$.
21. end for
22. Update $\Omega = \Omega + \mu (Z - \hat{Z})$.
23. Update $\mu = \rho \mu$
24. end while

where $s_{ik} = (y_{ik} - (w_k^T z_i + b_k)) - \frac{1}{\mu} \eta_{ik}$. Taking the derivative of Eq. (13) with respect to $e_{ik}$, setting the result equal to zero, and solving for each $e_{ik}$ gives the closed-form updates

$$
e_{ik} = \begin{cases} 
C - \frac{C}{\mu} y_{ik} & \text{when } y_{ik} s_{ik} > \frac{C}{\mu} , \\
0 & \text{when } 0 \leq y_{ik} s_{ik} \leq \frac{C}{\mu} , \\
\frac{s_{ik}}{y_{ik}} & \text{when } y_{ik} s_{ik} < 0 .
\end{cases}
$$

(14)

\[\text{Z Update: Removing terms not dependent on Z from Eq. (9) and optimizing each column of Z individually gives the following N minimizations}\]

$$
\min_{z_i} \sum_{m=1}^{M} \| B_m z_i - t_{im} \|_2^2 + \sum_{k=1}^{K} \| w_k z_i - u_{ik} \|_2^2 + \frac{\mu}{2} \| z_i - \hat{z}_i + \frac{1}{\mu} \omega_i \|_2^2 ,
$$

(15)

where $\omega_i$ are the columns of $\Omega$, $t_{im} = x_{im} - f_{im} - \frac{1}{\mu} \theta_{im}$ and $u_{ik} = y_{ik} - e_{ik} - b_k - \frac{1}{\mu} \eta_{ik}$. Taking the derivative of Eq. (15) with respect to $z_i$, setting it equal to zero, and solving for $z_i$ gives the closed-form update

$$
z_i = \left( \sum_{m=1}^{M} B_m^T B_m + \sum_{k=1}^{K} w_k w_k^T + I \right)^{-1} \left[ \sum_{m=1}^{M} B_m^T t_{im} + \sum_{k=1}^{K} w_k u_{ik} + \hat{z}_i - \frac{1}{\mu} \omega_i \right] .
$$

(16)
\textbf{\(\hat{Z}\) Update:} Removing terms not dependent on \(\hat{Z}\) from Eq. (9) gives
\[
\min_{\hat{Z}} \left\| \hat{Z} - \hat{X} + \frac{1}{\mu} \hat{\Omega} \right\|_F^2 \quad \text{subject to} \quad \hat{Z} \hat{Z}^T = \mathbf{I},
\] (17)
which is an instance of the orthogonal Procrustes problem [31]:
\[
\hat{Z} = \mathbf{UV}^T \quad \text{where} \quad \{ \mathbf{U}, \mathbf{\Sigma}, \mathbf{V}^T \} = \text{svd}(\hat{X} + \frac{1}{\mu} \hat{\Omega}).
\] (18)

\textbf{\(F_m\) Update:} Removing all terms from Eq. (9) that do not include \(F_m\) gives
\[
\min_{\alpha_m} \alpha_m \left\| F_m \right\|_{2,1} + \frac{\mu}{2} \left\| F_m - L_m \right\|_F^2.
\] (19)

We can decouple Eq. (19) by row and use the results derived in [23] to update each row of \(f^i\) in a give \(F_m\) by
\[
f^i = (1 - \alpha_m / (\mu \left\| I \right\|_2))_+ \quad \text{where} \quad (x)_+ = \max(0, x).
\] (20)

\textbf{\(B_m\) Update:} Dropping all terms without a \(B_m\) in Eq. (9) gives
\[
\min_{\gamma_m} \gamma_m \left\| \hat{B}_m \right\|_{2,1} + \frac{\mu}{2} \left\| \mathbf{O} - \hat{B}_m \right\|_F^2,
\] (21)
where \(\mathbf{O}_m = \mathbf{B}_m + \frac{1}{\mu} \mathbf{\Lambda}_m\). Similar to the update for \(F_m\), we can decouple Eq. (21) by row-by-row and derive an update for each \(b^i \in B_m\) by
\[
b^i = o^i (1 - \gamma_m / (\mu \left\| o^i \right\|_2))_+.
\] (22)

\textbf{\(B_m\) Update:} Keeping all terms from Eq. (9) that contain \(B_m\) gives
\[
\min_{\gamma_m} \left\| B_m \right\|_{2,1} + \left\| B_m + N_m \right\|_F^2,
\] (23)
where \(M_m = F_m - X_m + \frac{1}{\mu} \Theta_m\) and \(N_m = -B_m + \frac{1}{\mu} \Lambda_m\). Taking the derivative of Eq. (23), setting the result equal to zero, and solving for \(B_m\) gives
\[
B_m = \left( -M_m (Z^T - N_m) (ZZ^T + I) \right)^{-1}.
\] (24)
The final sequence of primal and dual updates designed to minimize Eq. (9) are summarized in Algorithm 1.

\section{III. EXPERIMENTS}

\subsection{A. Experimental Data}

The baseline magnetic resonance imaging (MRI) scans, single nucleotide polymorphism (SNP) arrays, and demographic information for 821 ADNI-I participants were obtained from the ADNI website. We performed FreeSurfer automated parcellation on the MRI data and extracted voxel-based morphometry (VBM) measures for 90 target regions of interest by following steps detailed in Risacher et al. [29]. For the SNP data the quality control steps discussed in Shen et al. [32] were followed. The labels, Alzheimer’s disease (AD), mild cognitive impairment (MCI), and healthy control (HC), were used as diagnostic classification groups. Participants with no missing MRI, SNP, or diagnostic information were included, providing a set of 723 subjects (170 AD, 352 MCI, 201 HC) across the FreeSurfer, VBM, and SNP modalities.

\subsection{B. Experimental Settings}

In the following experiments we take, as input, the multimodal data described above and perform the binary classification task to predict AD vs. HC/MCI. The performance results from the binary classification experiments are reported from a repeated-\(k\)-fold cross validation scheme where the input and output data are shuffled in-between each \(k\)-fold cross validation experiment. The hyperparameter settings for our method are \(C = 1, \alpha_1 = 100, \alpha_2 = 100, \alpha_3 = 0.01, \gamma_1 = 100, \gamma_2 = 100, \gamma_3 = 0.1, r = 5, \mu = 0.01, \rho = 1.1\) where FreeSurfer, VBM, and SNP are the first, second, and third modalities.

We compare the proposed \textit{Task Balanced Multimodal Feature Selection} method (Ours) against \(k\)-nearest neighbors (k-NN), support vector machines (SVM) via the LIBSVM library [9], \(\ell_1\)-regularized logistic regression (Logistic), a multi-layer perceptron neural network (MLP), and two gradient boosted decision trees using the XGBoost [10] and LightGBM [22] libraries. The XGBoost [33], support vector machine [8], variations on logistic regression [21], and multi-layer perceptron neural network [38] methods have all been used in the past to identify AD vs. HC/MCI. The LightGBM method has been used [1] as the final classifier from the output of a deep neural architecture applied to multimodal data. For each of the compared algorithms, we concatenate features along the vertical dimension for each modality to construct the input matrix \(X \in \mathbb{R}^{(d_1 + d_2 + d_3) \times n}\). We test the performance of each compared method against the following metrics: Balanced Accuracy (BACC) [7], precision, recall, \(F_1\)-score = \(2 \times \frac{\text{precision} \times \text{recall}}{\text{precision} + \text{recall}}\), and Matthews Correlation Coefficient (MCC) [4]. Each of the compared methods have undergone extensive hyperparameter tuning to ensure a fair comparison. The logistic regression, \(k\)-nearest neighbors, multi-layer perceptron neural network algorithms, and all repeated-\(k\)-fold cross validation/hyperparameter-search results were implemented using the Flux [18] and MLJ [3] libraries.

\subsection{C. Classification Performance}

In Table I, we report the average performance and standard deviation results of our method compared against the aforementioned algorithms. The results presented in Table I show that our proposed algorithm outperforms the compared methods in terms of BACC, precision, and MCC. Our algorithm, within a standard deviation, is competitive against the other algorithm’s \(F_1\)-scores. Our approach does not perform as well with regards to recall. Nonetheless, a high precision value indicates that our method produces fewer false positives when predicting an AD classification when compared to the other methods. This is likely due to the strong biomarker identification properties provided by the \(\ell_2,1\)-norm. This robust feature selection property may cause our approach to ignore features that contain subtle variations which may be important for a higher recall score.
D. Biomarker Identification

In addition to the improved predictive performance reported in Table I, the Task Balanced Multimodal Feature Selection method can be analyzed to identify which biomarkers are most important for prediction. The key insight that reveals the interpretability of our model is that each learned $B_m$ in Eq. (5) determines the construction of the latent representation $Z$. Since the construction of $Z$ is balanced via the classification task we expect that the features identified by each $B_m$ can provide novel insight into AD-related biomarkers. In Figs. 2, 3 and 4, we analyze, rank, and plot each row-sum (reduced over $r$) of $B_m$ for the FreeSurfer, VBM, and SNP modalities.

In Fig. 2 we provide the FreeSurfer and VBM biomarkers identified by our method. The top-5 areas of the brain identified by our method generally match up with the literature. For instance, atrophy of the precuneus [28] and inferior temporal gyrus [30] have been discovered in patients with AD-related dementias; these biomarkers are both ranked highly by our approach. Furthermore, Jacobs et al. [20] identified that increased connectivity in the parietal lobe is frequently observed in patients suffering from mild forms of AD. They argue that increased connectivity in the parietal lobe, an area ranked-highly by our method in the FreeSurfer modality, is a compensation mechanism designed to counteract mild AD symptoms; further study of these compensation mechanisms may be a promising path forward for future AD treatment.

The SNP results reported in Fig. 3 and Fig. 4 provide additional validation of our method’s biomarker identification capacity. The ranked SNPs from rs2511175 through rs10899496 are associated with the GRB-2-associated-binding protein 2 (GAB2) which has been shown in multiple works [15], [17], to be associated with both early and late-onset AD. Hibar et al. [15] proposed that the polymorphisms associated with the GAB2 protein manifest themselves in observable changes to brain morphology. The other SNPs in the top-twenty occur on chromosome 10 and, to the best of the authors’ knowledge, are not currently published in the literature. Nonetheless, we do see evidence, specifically in Bertram et al. [2] and Lendon et al. [24], that chromosome 10 could play a role in the pathology of AD. The collection of biomarkers identified in the FreeSurfer, VBM, and SNP modalities, provides substantial evidence that our approach is able identify biomarkers associated with cognitive decline.

### Table I: Ten repeated six-fold cross-validations and their standard deviations for identifying ADNI cohort participants with AD vs. HC/MCI. Each of the compared methods have undergone extensive hyperparameter tuning.

<table>
<thead>
<tr>
<th>Model</th>
<th>BACC ±</th>
<th>Precision ±</th>
<th>Recall ±</th>
<th>$F_1$-score ±</th>
<th>MCC ±</th>
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</thead>
<tbody>
<tr>
<td>k-NN</td>
<td>0.515</td>
<td>0.508</td>
<td>0.972</td>
<td>0.885</td>
<td>0.070</td>
</tr>
<tr>
<td>SVM</td>
<td>0.598</td>
<td>0.566</td>
<td>0.876</td>
<td>0.859</td>
<td>0.213</td>
</tr>
<tr>
<td>Logistic</td>
<td>0.629</td>
<td>0.589</td>
<td>0.894</td>
<td>0.873</td>
<td>0.276</td>
</tr>
<tr>
<td>MLP</td>
<td>0.593</td>
<td>0.643</td>
<td>0.591</td>
<td>0.672</td>
<td>0.158</td>
</tr>
<tr>
<td>XGBoost</td>
<td>0.618</td>
<td>0.576</td>
<td>0.930</td>
<td>0.886</td>
<td>0.288</td>
</tr>
<tr>
<td>LightGBM</td>
<td>0.607</td>
<td>0.566</td>
<td>0.950</td>
<td><strong>0.893</strong></td>
<td>0.287</td>
</tr>
<tr>
<td>Ours</td>
<td><strong>0.728</strong></td>
<td><strong>0.751</strong></td>
<td><strong>0.721</strong></td>
<td><strong>0.805</strong></td>
<td><strong>0.372</strong></td>
</tr>
</tbody>
</table>

Fig. 2: FreeSurfer and VBM biomarkers identified by our method in the experiment reported in Table I. The top-5 identified brain biomarkers are listed for each modality.

### IV. Conclusion

In this work we present the Task Balanced Multimodal Feature Selection method to identify cognitive decline in the ADNI cohort. The proposed algorithm incorporates robust matrix-factorization and feature selection balanced with a classification task and shows promising performance when applied to predict AD when compared to other popular statistical learning methods. Our approach discovers existing, as well as novel, brain and genetic biomarkers associated with AD. In addition, we release the code associated with this method to the wider research community. In the future, we plan to extend this method to other multimodal AD datasets and design novel mechanisms for incorporating longitudinal and missing clinical data.
Fig. 3: SNP biomarkers identified by our method. Intensities, calculated via the absolute row-sum from the SNP feature selection matrix, color-coded by chromosome. The $\ell_{2,1}$-norm in the Task Balanced Multimodal Feature Selection objective clearly identifies a sparse set of SNPs located on chromosome 10 (orange) and chromosome 11 (blue). (Viewed best in color)

Fig. 4: Top-20 SNPs (sorted and named) identified by our method. The identified SNPs in this panel are colored by the chromosome on which they occur in Fig. 3.

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Corresponding author: Hua Wang (huawangcs@gmail.com).

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REFERENCES


